

## IOMASA WP 1.2: Development of algorithms for retrieval of atmospheric parameters

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1. Total water vapor from AMSU-B
2. Surface emissivity at temperature sounding frequencies
3. Cloud liquid water



## TWV retrieval from AMSU-B

### Basics: RTE

- Starting point: Brightness temperature measured by satellite for not too opaque atmosphere

$$T_b(\theta) = m_p T_s - (T_0 - T_C)(1 - \epsilon_s)e^{-2\tau_0 \sec \theta}$$

$\theta$  – incident angle (off-nadir),

$m_p$  ( $= 1 + \dots$ ) – contains effect of **deviation** from **isothermal** atmosphere and **difference** between **surface** and **air** temperature,

$T_0$  – atmosphere **temperature** at **ground** level,

$T_C$  – cosmic **background**,

$\tau_0$  – nadir **opacity** of atmosphere

- Assume **linear** relation between **opacity** and total **water vapor** ( $TWV$ , a.k.a. column water vapor, total precipitable water),  $W$ :

$$\tau_0 = \kappa_v W$$

where  $\kappa$  – **mass absorption coefficient** of water vapor.



## Algorithm

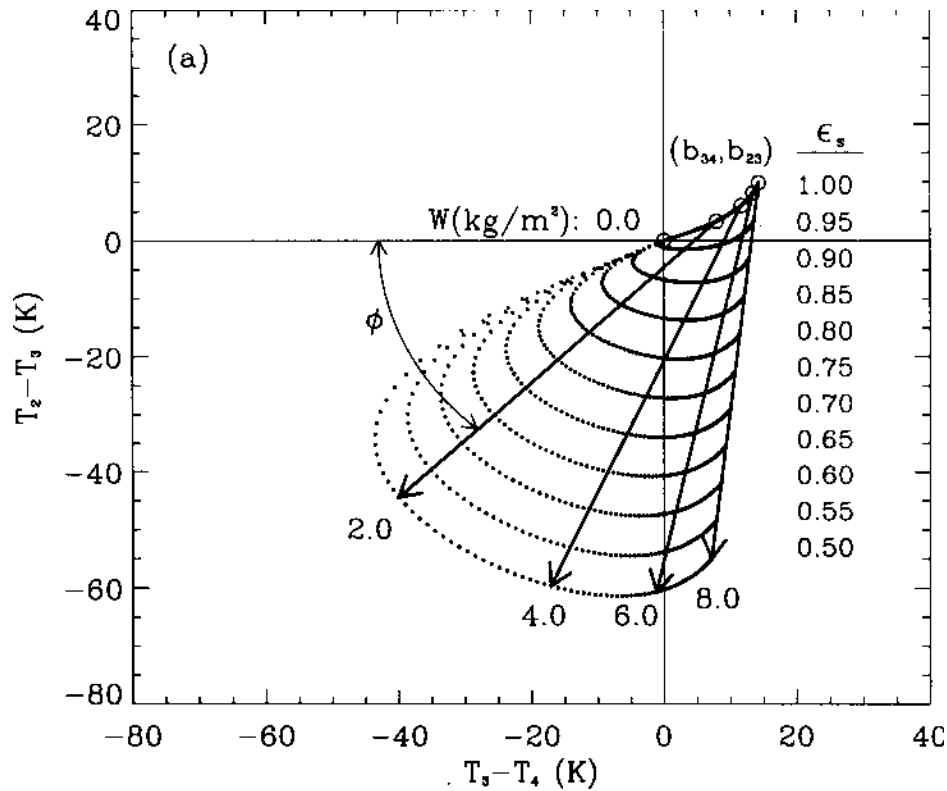
- Measure  $T_b$  at 3 different frequencies  $i, j, k$  at which ground emissivity  $\epsilon_s$  is similar but water vapor absorption different;  $\kappa_i < \kappa_j < \kappa_k$
- Then the following relation can be derived

$$\ln \eta_c = \ln \left( \frac{T_{b,i} - T_{b,j} - b_{ij}}{T_{b,j} - T_{b,k} - b_{jk}} \right) = c_0 + c_1 W \sec \theta$$

where the “bias” ( $b_{jk}, b_{ij}$ )

$$b_{ij} \approx \int_0^H \left[ e^{\tau_i(z,H) \sec \theta} - e^{\tau_j(z,H) \sec \theta} \right] \frac{dT(z)}{dz} dz$$

contains the influence of the atmospheric temperature and water vapor profiles



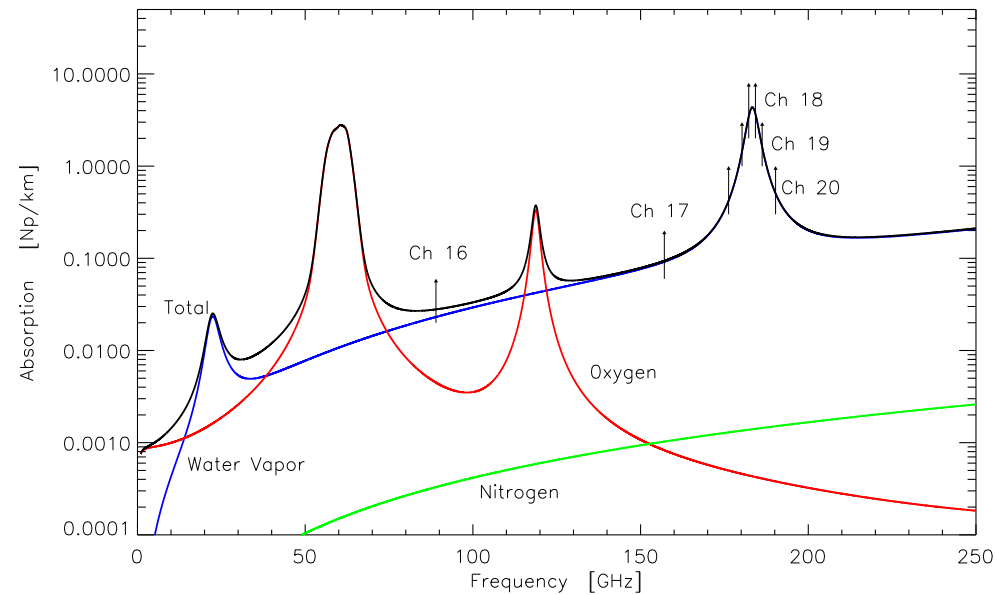
$$\tan \varphi = \eta_c = \frac{T_{b,i} - T_{b,j} - b_{ij}}{T_{b,j} - T_{b,k} - b_{jk}}$$

$$\ln(\tan \varphi) = c_0 + c_1 W \sec \theta$$

Note:  $(b_{jk}, b_{ij})$  slightly dependent on  $T$  and  $W$  profile  
 $\Rightarrow$  find some kind of average  $(\overline{b_{jk}}, \overline{b_{ij}})$  (focal point, see below)



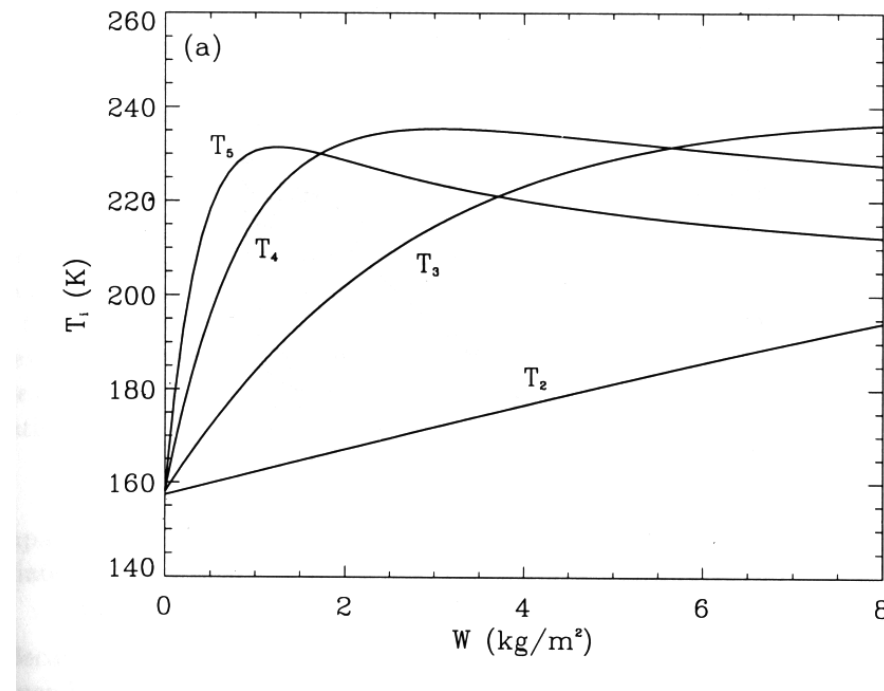
# AMSU-B



AMSU-B channels (sorted such that such that  $\kappa_2 < \kappa_3 < \kappa_4 < \kappa_5$ )

our no.	1	2	3	4	5
Freq. [GHz]	89.0	150.0	$182.31 \pm 7$	$182.31 \pm 3$	$182.31 \pm 1$
AMSU channel	16	17	20	19	18





- low  $TWV$  ( $< 1.5$  kg/m<sup>2</sup>)  $\rightarrow T_5 > T_4 > T_3 \rightarrow$  use channels 3, 4, 5 (182 GHz channels)
- higher  $TWV \rightarrow T_5 \leq T_4 \rightarrow$  use channels 2, 3, 4; problem:  $\epsilon_{s,2}$  different from the others  $\Rightarrow$  less accuracy
- too high  $TWV$  ( $> 6$  kg/m<sup>2</sup>)  $\rightarrow T_4 \leq T_3 \rightarrow$  no retrieval (yet)

## Algorithm Development for AMSU-B

### Algorithm development algorithm

1. ● Use **radiosonde** (RS) profiles, **integrate  $TWV$**  from them
  - **Simulate AMSU-B** brightness temperatures  $T_1, T_2, T_3, T_4, T_5$  for a range of ground emissivities  $\epsilon_s$  for each RS profile
2. **Linear fit** of  $\Delta T_{ij}$  vs.  $\Delta T_{jk}$  for each RS profile (many different emissivities)
3. Find **focal point**  $(\overline{b_{jk}}, \overline{b_{ij}})$  as point of least square distance from all fitted lines
4. **Linear fit** of  $TWV \sec \theta$  vs.  $\ln \eta_c = \ln \left( \frac{\Delta T_{ij} - \overline{b_{ij}}}{\Delta T_{jk} - \overline{b_{jk}}} \right)$  yields:

$$TWV \sec \theta = C_0 + C_1 \ln \eta_c$$

Note:

- Use only RS profiles with  $TWV < 1.5$  (kg/m<sup>2</sup>) for algorithm with  $(i, j, k) = (3, 4, 5)$
- Use only RS profiles with  $1.5 < TWV < 6$  for algorithm with  $(i, j, k) = (2, 3, 4)$



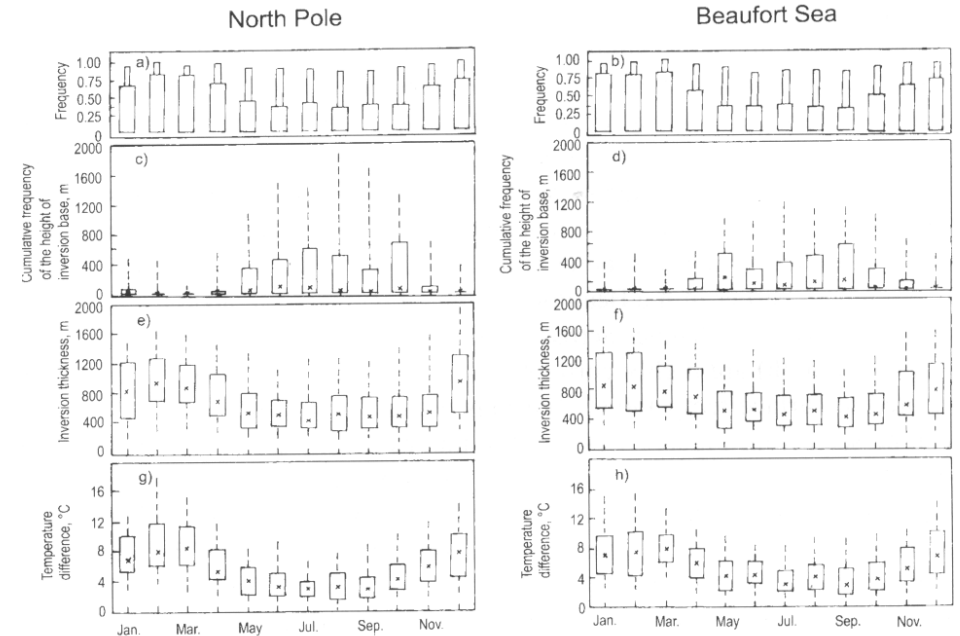
## Current Status

- Reading and integration routines for **RS profiles** (global TEMP, and Polarstern)
- Almost finished reimplementing **algorithm development algorithm**, using **ARTS** (instead of MWMOD)
  - Modular, customizable
  - Developed and maintained “next door” (IUP)
  - **Rosenkranz** absorption model (continuum and lines) for **H<sub>2</sub>O**, **O<sub>2</sub>**, **N<sub>2</sub>** (all other standard models can be used as well)



## Ongoing Work, Ideas

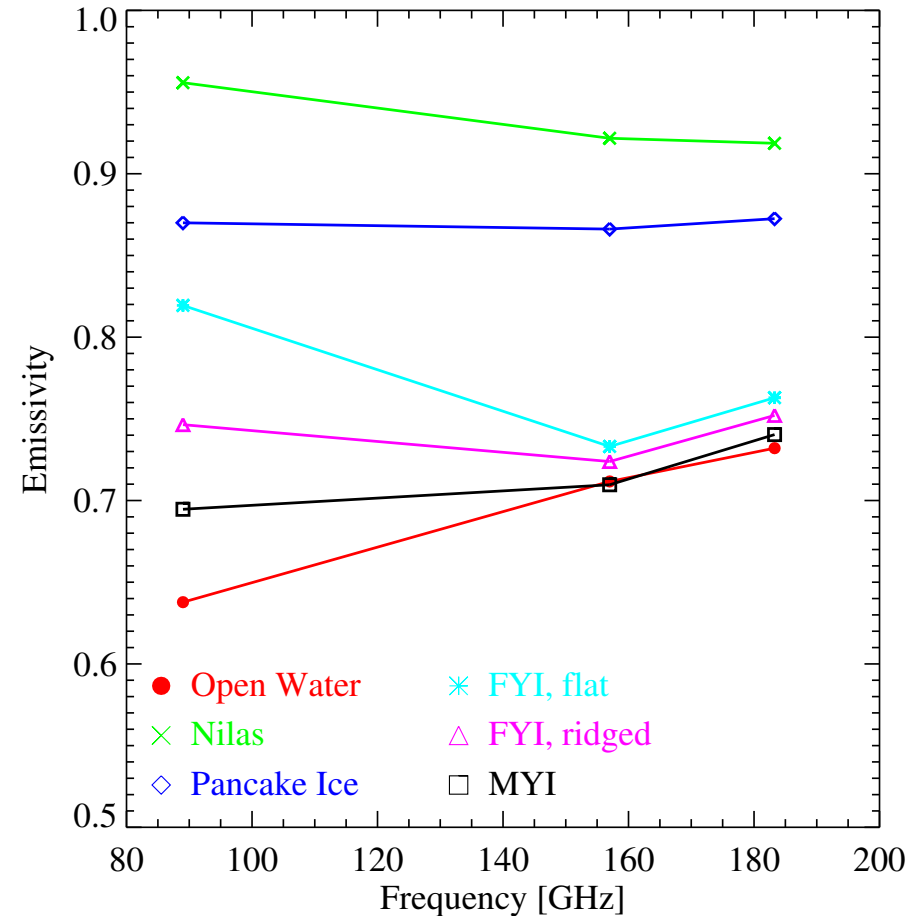
- **bias** depends on  $\frac{dT(z)}{dz}$  and  $W(z)$
- ⇒ **separate** algorithms for **seasons**:  
summer and winter (and spring/autumn?)
- ⇒ **separate** algorithms for **regions**:
  - Canadian Arctic
  - European Arctic
  - Siberia/Central Arctic
- ⇒ **Weather** influence: avoid rain, snow (synop data?)



## Related Work

PhD thesis by Nathalie Selbach: **SEPOR-POLEX** measurements with airborne radiometer (channels similar to AMSU-B); dropsonde *TWV* measurements;  $\epsilon_s$  measurements:

- possible to improve algorithm with knowledge about emissivity ratio  $\epsilon_s(182)/\epsilon_s(150)$  – from where?



## 2. Surface emissivity at temperature sounding frequencies

- PhD student (Nizy Mathew) working on that, since past summer.